

CALCULATION OF THE REGULATOR OF THE CURRENT OF WELDING

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Welding transformers on annular magnets have essential advantages: there are no losses of magnetic energy and mechanical regulators of a welding current; the weight and sizes are reduced.

The purpose of researches - optimisation of parametres of a winding of regulating of a welding current.

Results of researches. External and internal radiuses of an annular magnet it is accepted equal to radiuses of a magnet of the transformer. Resistance of a winding of regulating pays off for the maximum current of welding.

$$\dot{Z} = \frac{\dot{U}_2}{\dot{I}_2} \quad (1)$$

Where \dot{U}_2 - voltage on the secondary winding of the transformer at the moment of welding, V. \dot{I}_2 - as much as possible accepted current of welding, And.

The maximum current of welding we count behind the formula:

$$\dot{I}_2 = K d_{\text{ел}}, \quad (2)$$

Where $d_{\text{ел}}$ - diameter of an electrode, mm;

To - factor that depends on an electrode brand ($To = 40 \dots 60$ And/mm,).

Cross-section of wire $S_{\text{дп}}$. We Accept $J = 8 \text{ A/MM}^2$, $I = 250$ And.

$$S_{\text{дп}} = I/J \quad (3)$$

By pure resistance of windings it is neglected. Then the minimum induced drag it is definable

$$X = \omega L_{\text{дп}} = \frac{\dot{U}_2}{\dot{I}_2} \quad (4)$$

$$L_{\text{дп}} = \frac{\dot{U}_2}{\dot{I}_2 2\pi f} \quad (5)$$

And inductance

Knowing inductance and parametres became (fig. 1), we define quantity of convolutions. Steel quality we accept 3411 ... 3416, $\mu = 500 \dots 600$.

$$W_{\text{дп}} = \sqrt{\frac{L_{\text{дп}} 2\pi}{\mu \mu_0 h \ln \frac{R_2}{R_1}}} \quad (6)$$

Where h - butterfly governor altitude, m; R_1 , R_2 - internal and external radiuses of the butterfly governor, m.

Or

$$W_{\text{дп}} = \sqrt{\frac{\dot{U}_2}{\mu\mu_0 h \dot{I}_2 f \ln \frac{R_2}{R_1}}} \quad (7)$$

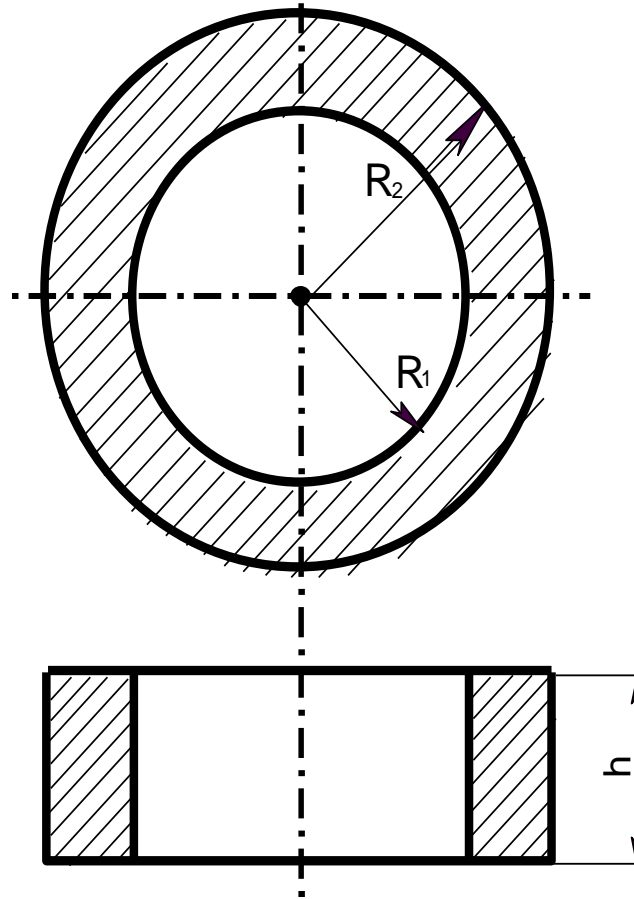


Fig. 1. A design of a magnet of a winding of regulating

The internal radius of an annular magnet should be such that the winding was located on its round. Should will be executed an inequality

$$2\pi R_1 \geq k_{\text{yк}} W_{\text{дп}} b \quad (8)$$

Where $k_{\text{yк}}$ - factor that considers gaps $k_{\text{yк}} = 1,2$; b - width to a wire, m.